

Discussion of

# **Getting in all the Cracks:**

## **Monetary Policy, Financial Vulnerabilities, and Macro Risk**

by A. Ajello & T. Pike

A. Cesa-Bianchi\*

Bank of England, CEPR, and CfM

**Annual Conference**

Kings - July 5, 2021

\*The views expressed here do not necessarily represent those of the Bank of England or of any of its Committees.

# A perennial question....

- ▶ **Should monetary policy respond to financial developments that pose macro risks?**

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  - \* Cost: Slowdown in output and prices + Dangerous to 'prick the bubble'
  - \* Benefit: Reduce downside tail risk in the medium run

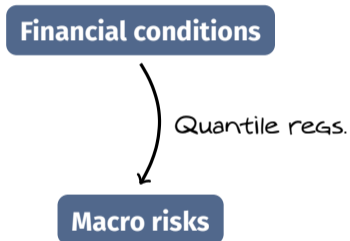
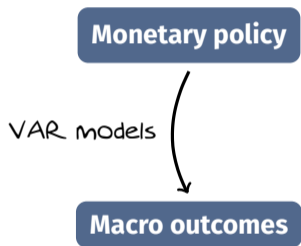
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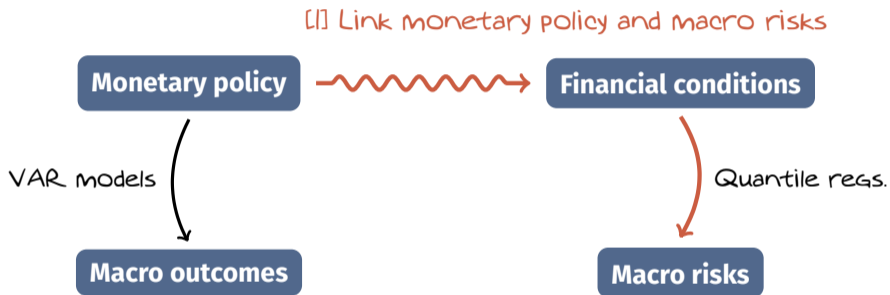
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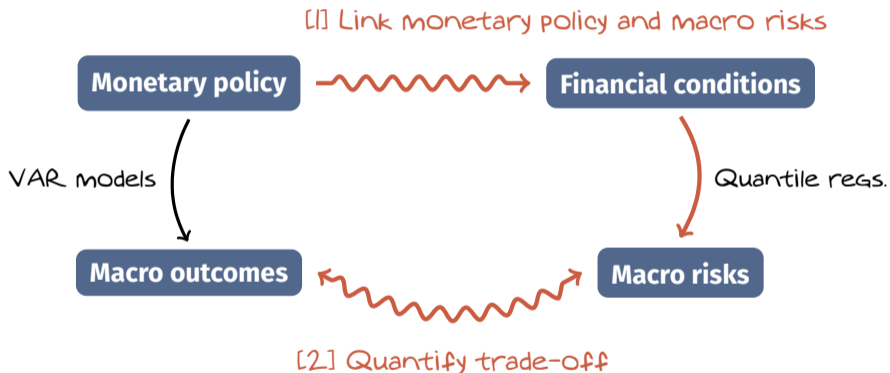
# Two siloed literatures



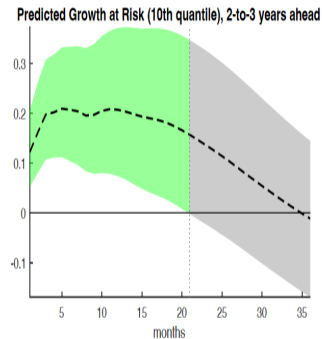
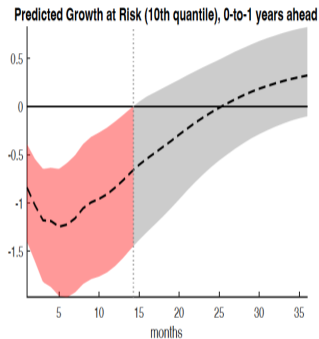
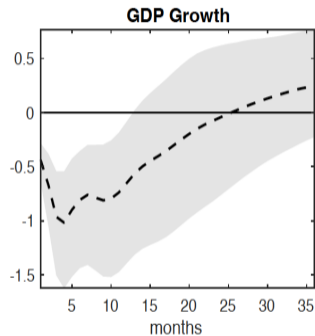
# This paper



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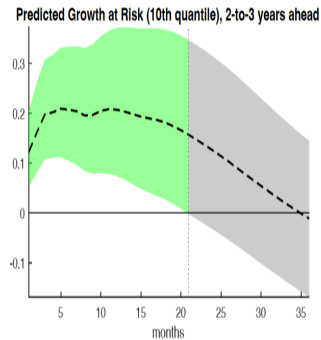
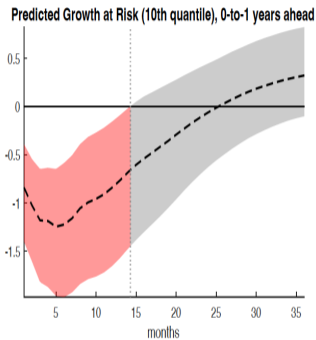
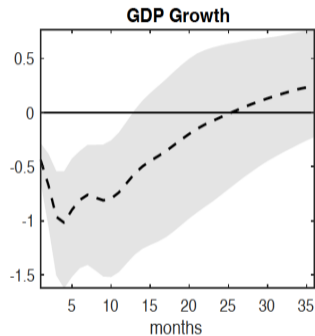


# This paper: A monetary policy tightening leads to...



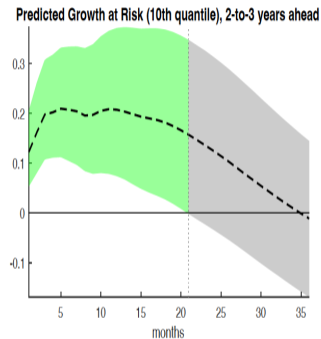
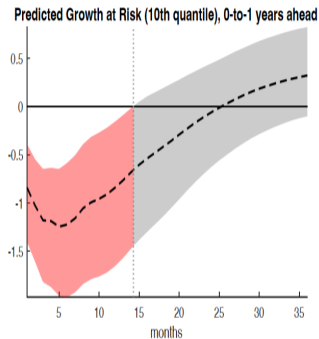
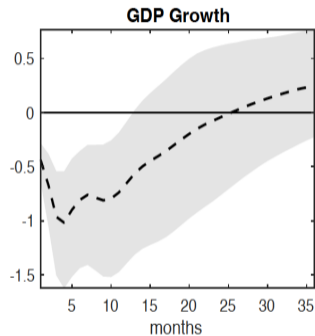
- ▶ A slowdown in economic activity

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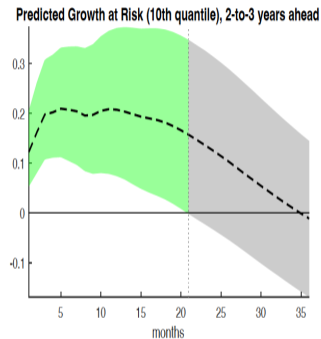
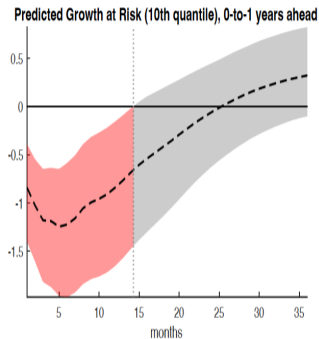
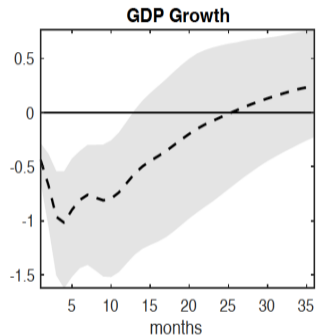
- ▶ A sizeable increase in downside risk in the short-run

# This paper: A monetary policy tightening leads to...



- ▶ A modest decline in downside risk in the medium-run

# This paper: Bottom line



► **Interpretation** → Costs of leaning against the wind seem to outweigh the benefits

# Two comments

[# 1] **Approach** [bigger picture, not for this paper]

[#2] **Quantile regressions interpretation**

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[#2] **Quantile regressions interpretation**

# Approach redux

- ▶ Bivariate VAR with output  $Y$  and a financial variable  $F$  (e.g. factor in Andrea's presentation)

$$\begin{bmatrix} Y_t \\ F_t \end{bmatrix} = \begin{bmatrix} \phi_{11} & \phi_{12} \\ \phi_{21} & \phi_{22} \end{bmatrix} \begin{bmatrix} Y_{t-1} \\ F_{t-1} \end{bmatrix} + \begin{bmatrix} b_{11} & \cdot \\ b_{21} & \cdot \end{bmatrix} \begin{bmatrix} \varepsilon_t^{MP} \\ \cdot \end{bmatrix}$$

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- ▶ Impact response of macro and financial outcomes to monetary policy hike

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$$\begin{bmatrix} IR^Y \\ IR^F \end{bmatrix} = \begin{bmatrix} b_{11} \\ b_{21} \end{bmatrix} \rightarrow \text{Negative}$$

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→ Positive  
(short-run)

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- ▶ Effect of financial variable on left tail of macro variable  $\mathcal{T}$

$$\mathcal{T}_t = \beta F_t + u_t \rightarrow \text{Positive (short-run)}$$

- ▶ Impact response of tail macro risk to monetary policy hike

$$IR^{\mathcal{T}} = \beta b_{12} \rightarrow \text{Negative} \rightarrow \text{Increase in tail risk in the short-run}$$

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# Approach redux: Can things go wrong? An example

- ▶ Bivariate VAR with output  $Y$  and policy rate  $R$

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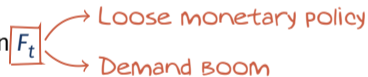
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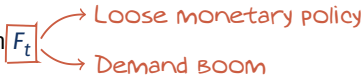
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\* Conditional and unconditional correlations between  $\mathcal{T}$  and  $F$  have the same sign

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\* Sign of  $\beta$  does not depend on what caused the increase in  $F_t$  

▶ Yet,  $\beta$  captures average response of tail risk to monetary and demand shocks → Not ideal

# What can be done then?

► One model

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- \* Estimate directly impact response of tail macro risk to monetary policy hike  $IR^{\mathcal{T}} = b_{13}$
- \* Dynamics  $IR_{t+h}^{\mathcal{T}}$  (with  $h = 1, 2, \dots, H$ ) pinned down by transition matrix  $\Phi$
- \* Can shut down 2nd row of  $\Phi$  to gauge importance of financial factors in transmission

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## ► Another model

$$\mathcal{T}_{t+h} = \beta_h \varepsilon_t^{MP} + \phi_1 Y_{t-1} + \phi_2 F_{t-1} + u_t \quad \text{with } h = 0, 1, \dots, H$$

# Two comments

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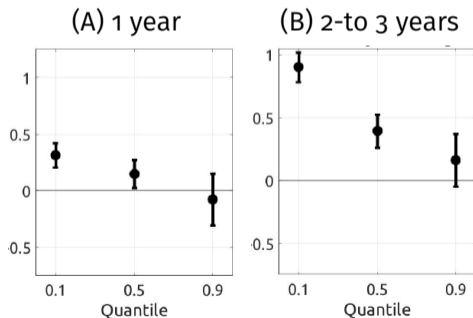
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- ▶ **Reminder** Factors are signed so that higher values point to higher financial vulnerabilities
- ▶ An increase in **Factor #4** (risky net leverage) reduces downside macro risk at all horizons
- ▶ **Common view** Build-up in leverage can lead to troubles down the road
- ▶ **Questions**
  - \* What can explain the absence of reversal in the quantile regs coefficients in the medium run?
  - \* Is the labelling of the factor misleading?

# In sum

- ▶ Great paper → Brought some science in the leaning against the wind literature
- ▶ Combining VAR and quantile regressions is tricky
  - \* This paper makes a very welcome first step
  - \* Room for improvement → Exciting agenda!

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